

A Flow of Dark Matter Debris

Exploring New Possibilities for Substructure

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1105.4166 with D. Spergel, follow-up with M. Kuhlen and D. Spergel

1107.0717 with P. Fox, J. Kopp, and N. Weiner

Λ CDM

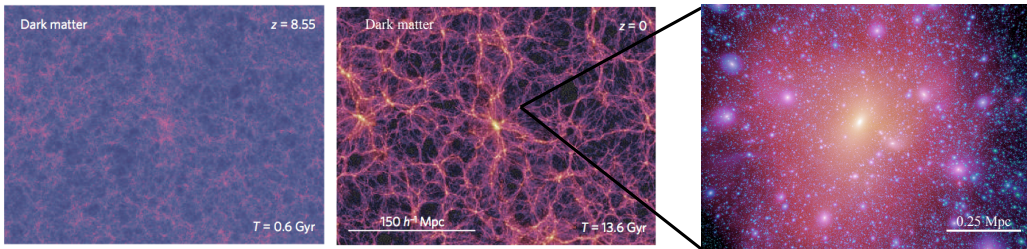
Dark matter halos seeded by collapse of overdensities

Hierarchical merging of halos into more massive systems

Galaxies form at the centers of dark matter halos
by cooling and condensation of gas

Large-scale structure

Small-scale structure

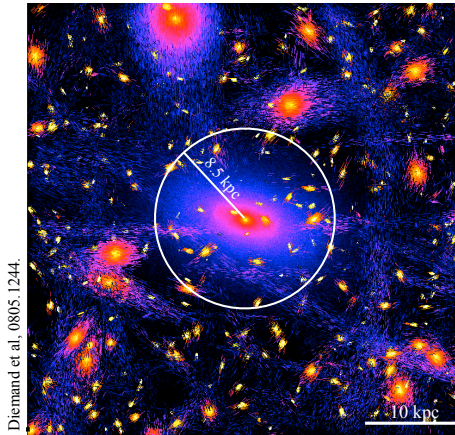


Millennium N-body Simulation
Springel et al (2005).

A 'Clumpy' Halo

Local variation in dark matter densities and velocities

Phase Space Density



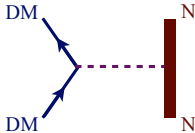
What are the distinctive features in the solar neighborhood?

Dark Matter Searches

Experimental signatures depend on local phase space

Direct Detection

Dark matter scatters off nuclei

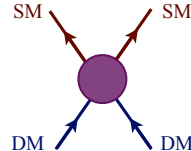


Measure recoil energy of nuclei

$$\text{Rate} \propto \int v f(v) dv$$

Astrophysical Detection

Dark matter annihilation



Detect annihilation products

$$\text{Flux} \propto \int_{\text{los}} \rho^2(r) ds$$

Outline

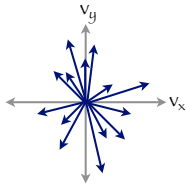
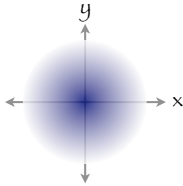
Substructure Overview

Velocity Substructure in Simulations

Experimental Implications

A Spectrum of Possibilities

Maxwell-Boltzmann



Fully Virialized ← ————— → *Not Virialized*

Dark Matter Phase Space

Density and velocity distribution fundamentally related through gravitational potential

$$\nabla^2\psi = -4\pi G\rho$$

$$\rho(r) \longrightarrow \rho(\psi) \longrightarrow f(\psi, v)$$

$$\rho(\psi) = 4\pi \int dv v^2 f(\psi, v)$$

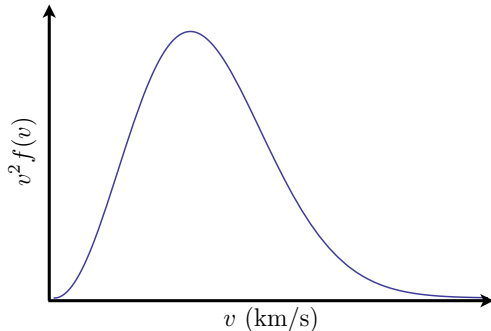
Density and velocity distributions must be self-consistent

Jeans Theorem

Equilibrium phase space configurations depend on conserved quantities

$$f(\vec{x}, \vec{v}) = f(\mathcal{E}, L^2, L_z)$$

$$\mathcal{E} = v_{\text{esc}}^2 - v_r^2 - v_t^2 \qquad L^2 = r^2 v_t^2$$



For example, an isotropic halo with

$$f(\mathcal{E}) \propto e^{\mathcal{E}/\mathcal{E}_0}$$

$$\sigma_r^2 = \sigma_t^2$$

Stable configuration for orbits

Maxwell-Boltzmann

PHYSICAL REVIEW D

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Detecting cold dark-matter candidates

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(Received 2 August 1985)

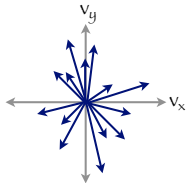
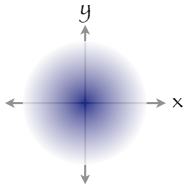
Proposed a model for the velocity distribution of dark matter

Flat rotation curves imply that density falls off as $1/r^2$

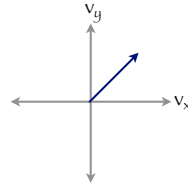
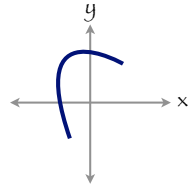
Isotropy + Equilibrium + $\rho \sim r^{-2}$ = Maxwell-Boltzmann

A Spectrum of Possibilities

Maxwell-Boltzmann



Streams



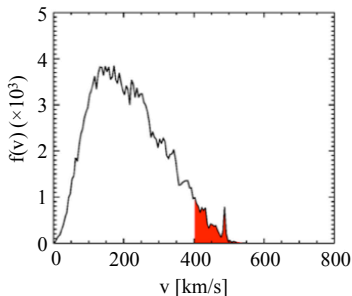
Fully Virialized \leftarrow \longleftrightarrow \rightarrow Not Virialized

Streams in Simulations

Peaks in velocity distribution correspond to spatially-localized structures

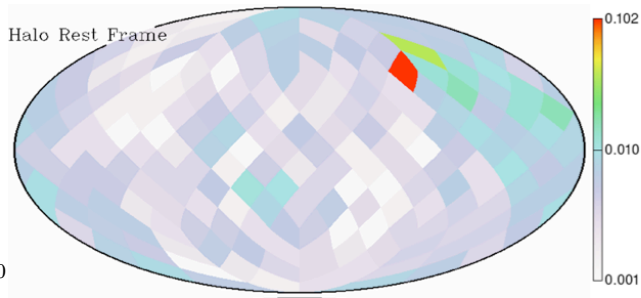
Velocity Distribution

$$f(\vec{v}) = \delta(\vec{v} - \vec{v}_{\text{stream}})$$



Skymap

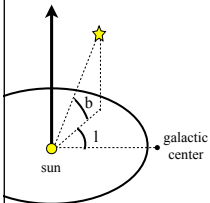
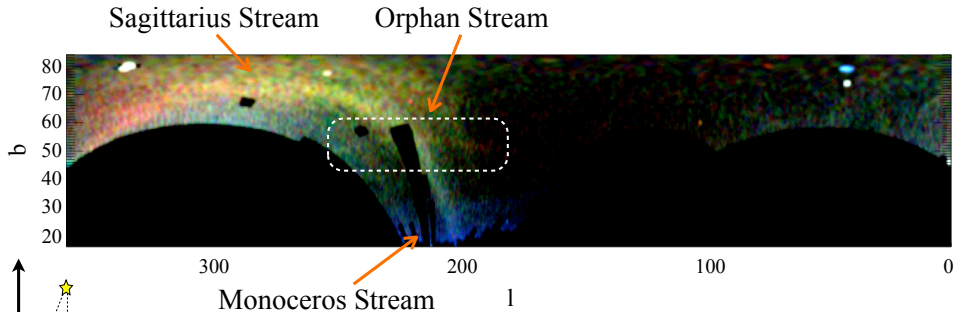
$$\rho(\vec{r}) = \delta(\vec{r} - \vec{r}_{\text{stream}})$$



Field of Streams

Abundance of substructure observed in star surveys

Spatial overdensities indicate presence of stellar streams

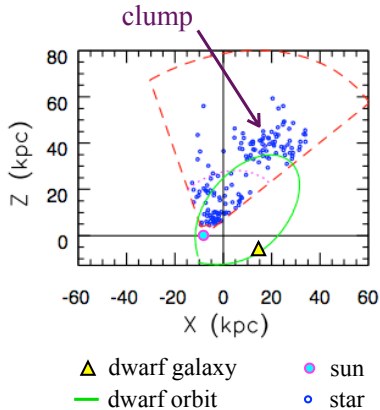


Sagittarius Stream

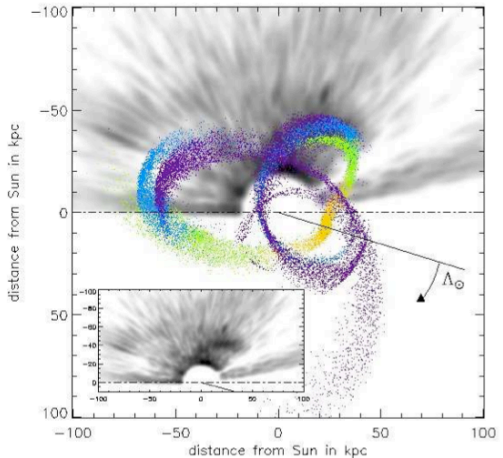
Evidence that the dwarf galaxy is tidally disrupted

First Hints

SDSS Commissioning Run

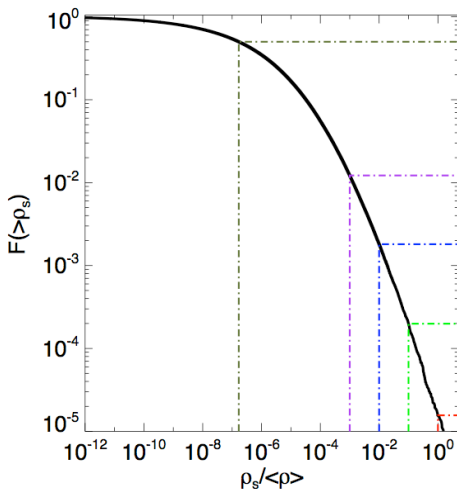


Complete Mapping



Probabilities

Fraction of particles in solar neighborhood with stream density ρ_s exceeding some fraction of the mean halo density $\langle\rho\rangle$



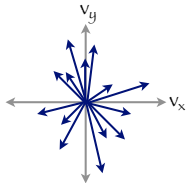
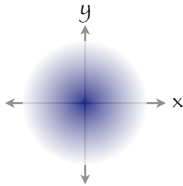
Small odds that a *single* stream will dominate the local density

20% chance that a single stream will contribute 1% of local density

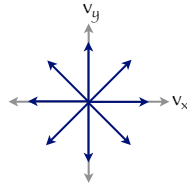
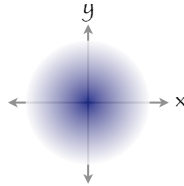
Impact on experiments depends on dark matter properties

A Spectrum of Possibilities

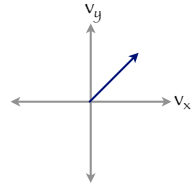
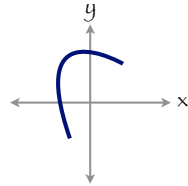
Maxwell-Boltzmann



Debris Flows



Streams



Fully Virialized ← ————— → *Not Virialized*

Debris Flows vs. Streams

Both arise from tidal stripping of orbiting subhalos

They dominate in two different time regimes

Shortly after Infall

$$r \gtrsim 20 \text{ kpc}$$

Dark matter is coherent in space

Spatial substructure

Long after Infall

$$r \lesssim 20 \text{ kpc}$$

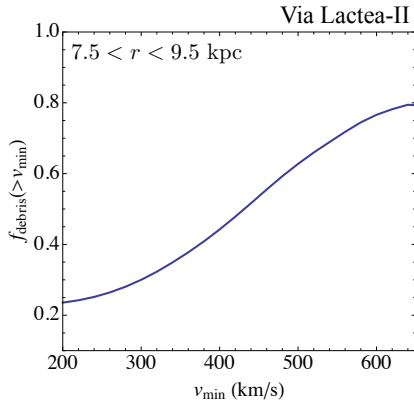
Dark matter is spatially well-mixed

Velocity substructure

Velocity substructure should be an important feature of the *local* halo

Debris Flows

Debris flows are not spatially localized, but exhibit distinctive velocities



Debris flows comprise...

20% of all particles in local halo

70% of particles with velocities
> 550 km/s

A significant component of dark matter in solar neighborhood
is in velocity substructure

Outline

Substructure Overview

Velocity Substructure in Simulations

Experimental Implications

Via Lactea-II

High-resolution simulation of the Milky Way that models N-body gravitational interactions

Evolution of a billion $4.1 \times 10^3 M_{\odot}$ particles followed from $z=104.3$ to $z=0$

Only dark matter; no baryons

20047 subhalos identified today and evolutionary tracks available



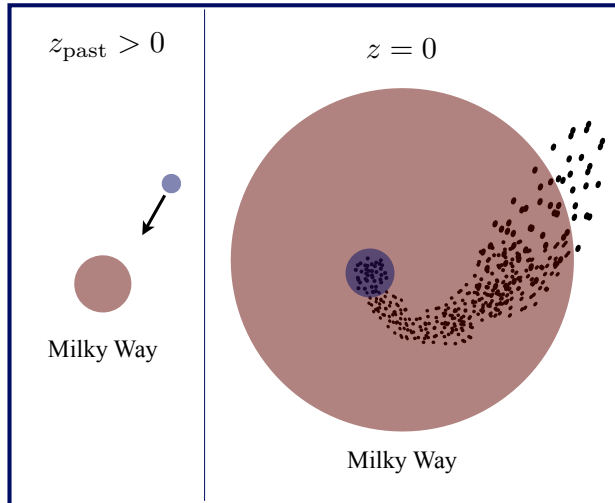
Locating the Debris

debris

particles that were bound at some $z > 0$ and that are no longer bound to subhalos today

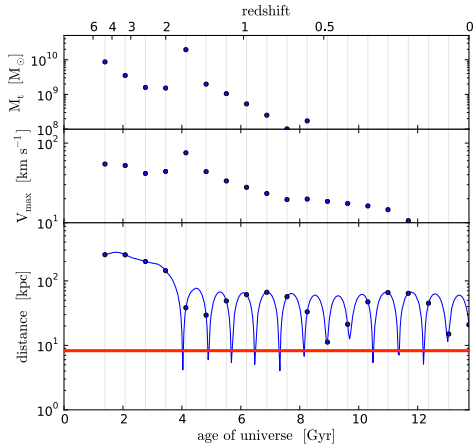
General Procedure

1. Locate subhalo (●) at z_{past}
2. Identify particles bound to subhalo at z_{past}
3. Find those particles today



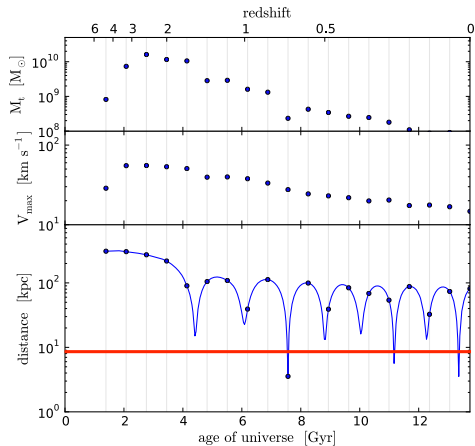
Subhalo Orbits

Subhalos with many pericentric passages contribute a lot of tidal debris



Subhalo Orbits

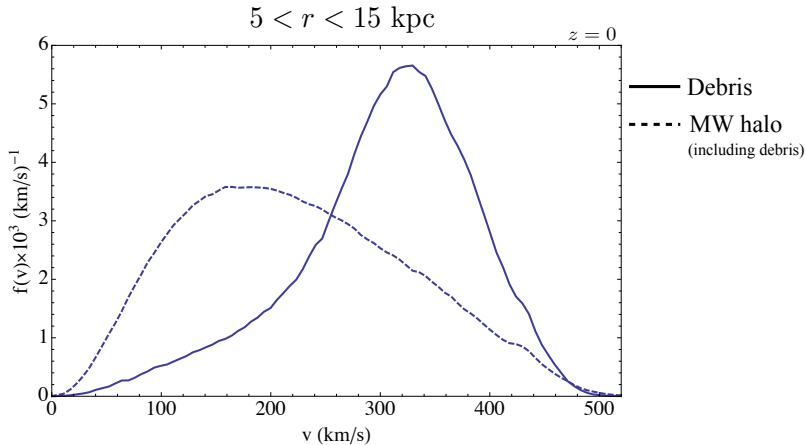
Subhalos with many pericentric passages contribute a lot of tidal debris



Velocities

The dark matter debris has a distinctive velocity structure

Velocities are peaked ~ 340 km/s within 15 kpc of Galactic center



Velocities

This velocity behavior is a simple consequence of energy conservation

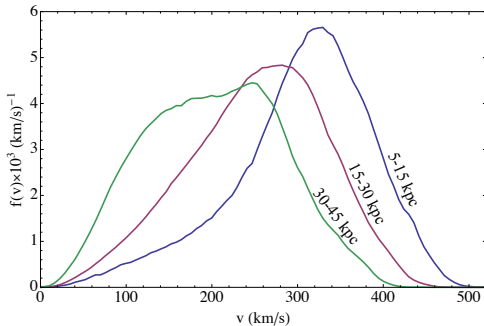
$$\Delta v^2 = 2\Delta\Phi$$

Potential derived from best-fit density distribution for Via Lactea-II:

$$\rho(r) = \frac{\rho_s}{(r/r_s)^\gamma (1 + r/r_s)^{3-\gamma}}$$

$$\rho_s = 3.5 \times 10^{-3} M_\odot \text{pc}^{-3}$$
$$r_s = 28.1 \text{ kpc} \quad \gamma = 1.24$$

Diemand and Moore, 0906.4340.



$$v(r = 10 \text{ kpc}) \sim 314 \text{ km/s}$$

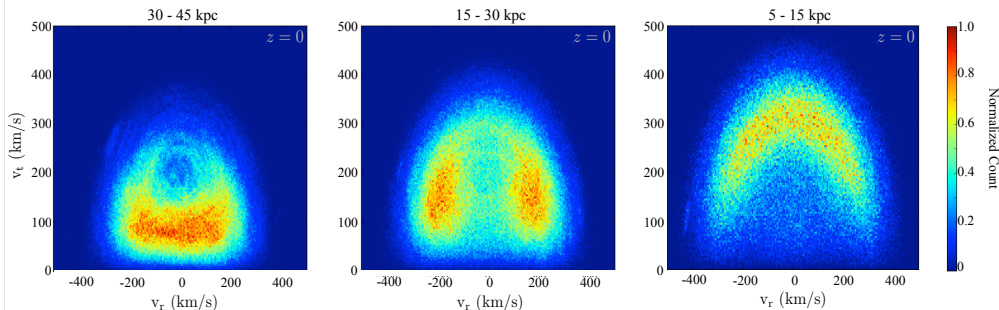
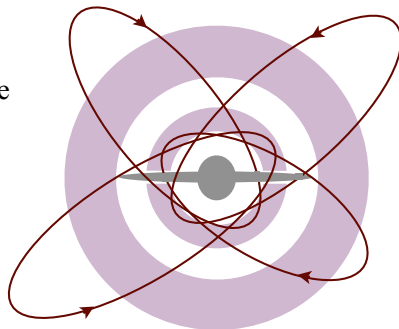
$$v(r = 24 \text{ kpc}) \sim 267 \text{ km/s}$$

$$v(r = 38 \text{ kpc}) \sim 230 \text{ km/s}$$

Tangential Velocities

Velocities become more tangential closer to the Galactic center

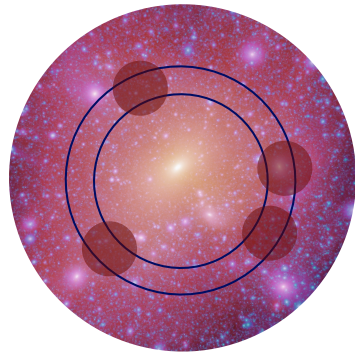
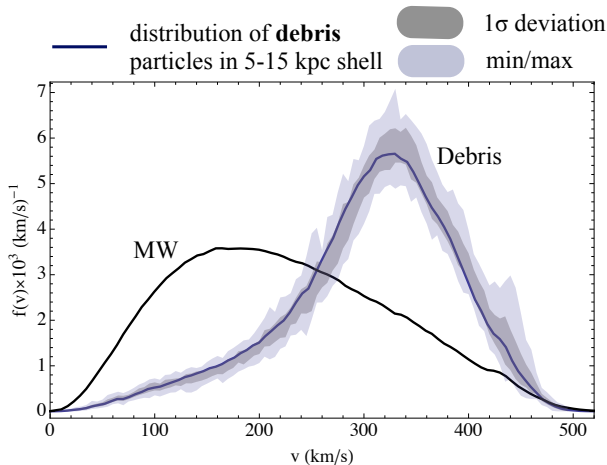
Results from tidal stripping near pericentric passage of subhalo orbit



Solar Neighborhood

Shape of velocity distribution consistent over spherical shell

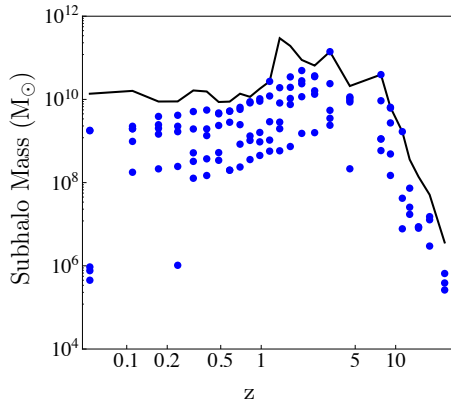
The debris guaranteed in our local neighborhood



Resolution?

Most massive subhalos contribute to the debris at all redshifts

Therefore, debris flow is not sensitive to resolution limit of simulation



• subhalos that give most debris

— max subhalo mass

N-body simulations should be fairly
consistent on large mass scales

Can be verified with Aquarius and GHalo

Outline

Substructure Overview

Velocity Substructure in Simulations

Experimental Implications

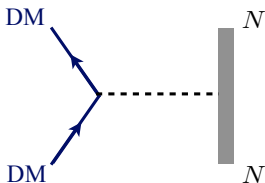
Direct Detection

Direct Detection

Average scattering rate depends on dark matter velocity distribution

$$\frac{dR}{dE_R} = n_{\text{dm}} \left\langle v \frac{d\sigma}{dE_R} \right\rangle_{\text{average over initial DM velocities}}$$

The cross section, σ , describes the interaction between the dark matter and the nucleus

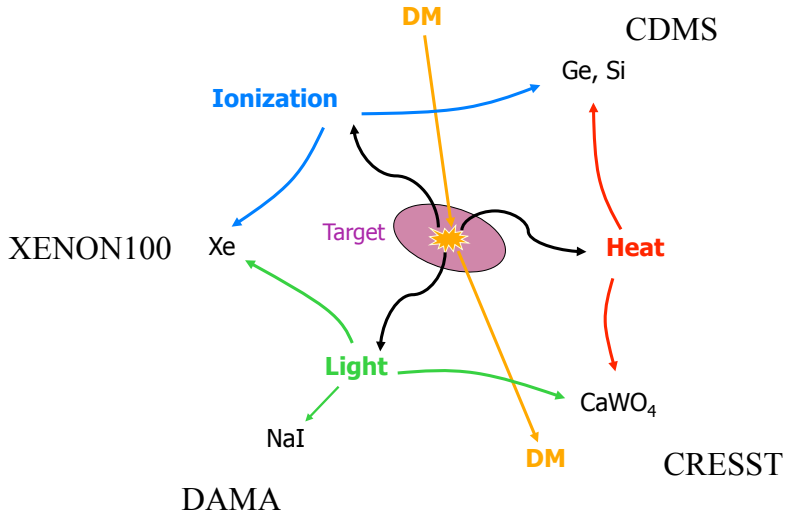


Dark matter couples
coherently to all nucleons

$$\sigma \propto A^2$$

Direct Detection

Several different strategies for detecting recoil energy

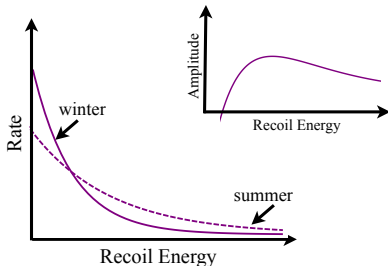


Direct Detection

Direct detection experiments measure scattering rate and
(if possible) modulation amplitude

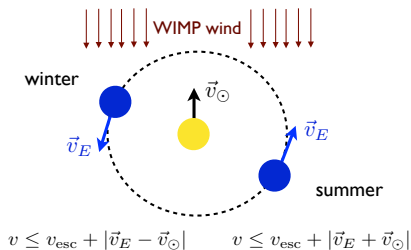
Recoil energy spectrum

$$R \propto \int \frac{f(v)}{v} dv$$



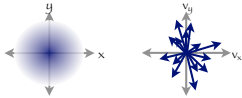
Modulation Amplitude

$$\text{Amplitude} = \frac{1}{2}(R_{\max} - R_{\min})$$



A Spectrum of Possibilities

Maxwell-Boltzmann



Fully Virialized ← ————— → *Not Virialized*

Recoil Spectrum

Average over all possible DM velocities in the galactic halo

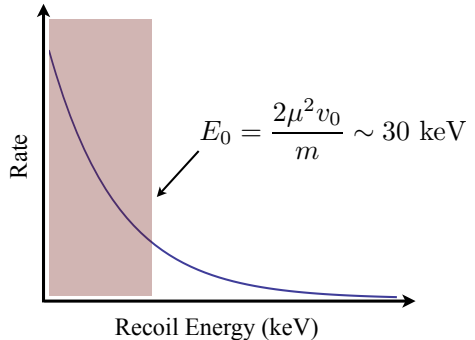
$$\frac{dR}{dE_R} \propto \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v \left(e^{-v^2/v_0^2} \right) \sim e^{-E_R/E_0}$$

$\sqrt{\frac{m_N E_R}{2\mu^2}}$

 Boltzmann Distribution

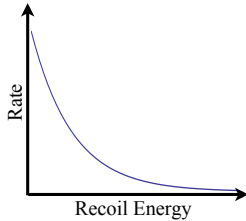
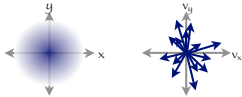
For standard assumptions,
recoil spectrum is exponential

Signal dominates at low E_R

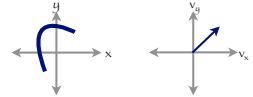


A Spectrum of Possibilities

Maxwell-Boltzmann



Streams



Fully Virialized \leftarrow \rightarrow *Not Virialized*

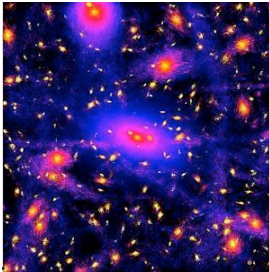
Recoil Spectrum

Different velocity distributions lead to different recoil spectra

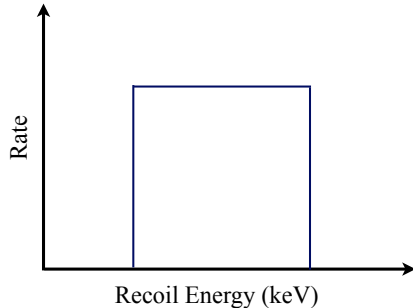
$$\frac{dR}{dE_R} \propto \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v \delta(v - v_{\text{stream}})$$

Dark matter stream

Dark matter streams lead to a flat recoil spectrum

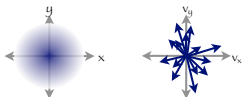


40 kpc/side cube from center of Via Lactea II
Diemand et al (2008).

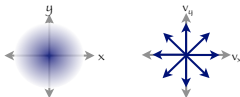


A Spectrum of Possibilities

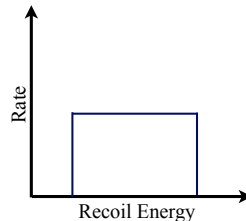
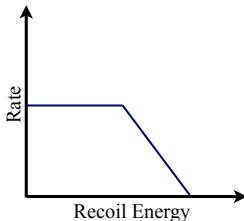
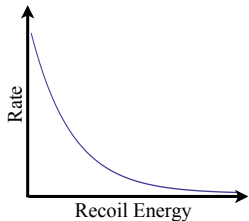
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Debris Flows



Streams



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Conclusions

Wealth of dark matter structure in the solar neighborhood

Debris flows offer unique way to search for dark matter:
Direct detection and star surveys provide orthogonal detection possibilities

Discovery would tell us a lot about the local halo:
Significant fraction is unvirialized and retains distinctive phase-space features

Substructure is a fossil record of the MW's merging history:
“Build-up” the merger history of the halo and test the Λ CDM picture